

np Pairing Correlations in Single-l and Single-j Shell Models.*

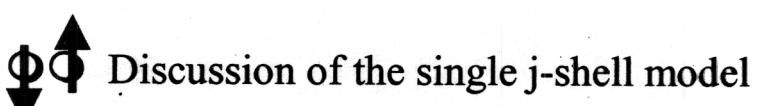
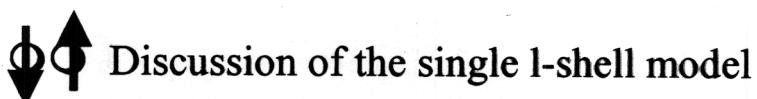
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I.Y.Lee, F.S.Stephens, and D.Ward

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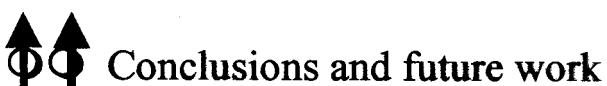
*Work supported by the US Department of Energy under contract DE-AC03-76SF00098.



**Brief summary of data on binding energy differences and
ground states of odd-odd N=Z nuclei**



Role of the spin-orbit splitting



The ($^3\text{He},\text{p}$) transfer reaction

Discussion of systematics

Conference on "Nuclei at the Limits"
Argonne National Laboratory - July 26-30, 2004

Motivation

N=Z nuclei, unique systems to study np correlations.

★ **Role of isoscalar (T=0) and isovector (T=1) pairing**

Large spatial overlap of n and p

Pairing vibrations (normal system)

Pairing rotations (superfluid system)

Does isoscalar pairing give rise to collective modes?

As you move out of N=Z nn and pp pairs are favored

• ★ **What is (are) the “smoking-gun(s)”?**

Binding energy differences

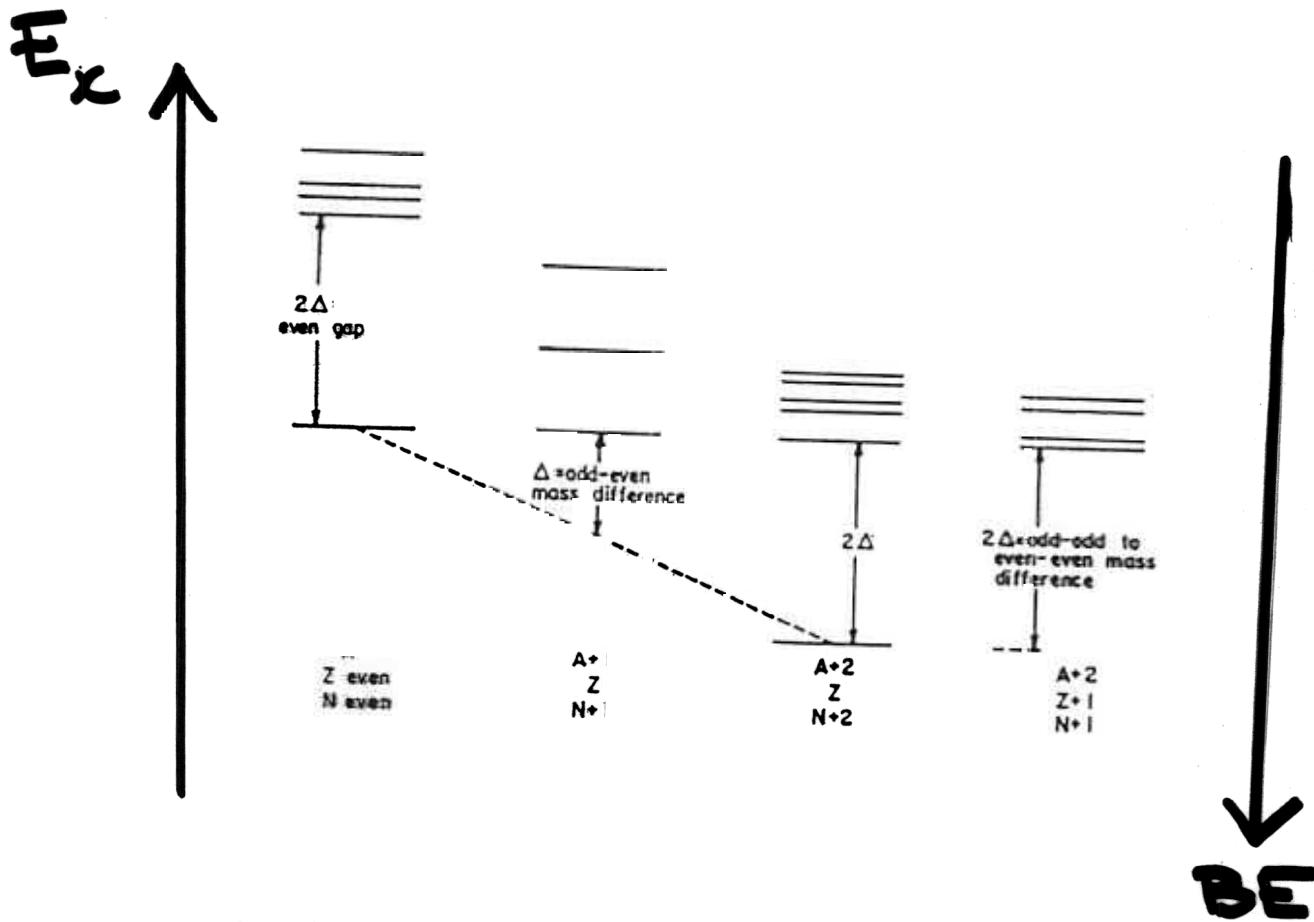
Ground states of odd-odd self-conjugate nuclei

Rotational properties: moments of inertia, delayed alignments

Two-particle transfer cross-sections

$$E \sim -G(N - \frac{v}{2})\Omega = -(N - \frac{v}{2})(2\Delta)$$

pairs ↗ seniority



$$\text{BE}_{\text{even even}} \quad \text{BE}_{\text{odd odd}} \approx \Delta_p + \Delta_n$$

 $\langle \text{BE} \rangle_{ce}$

$$\text{BE}_{\infty}(N \bar{z})$$

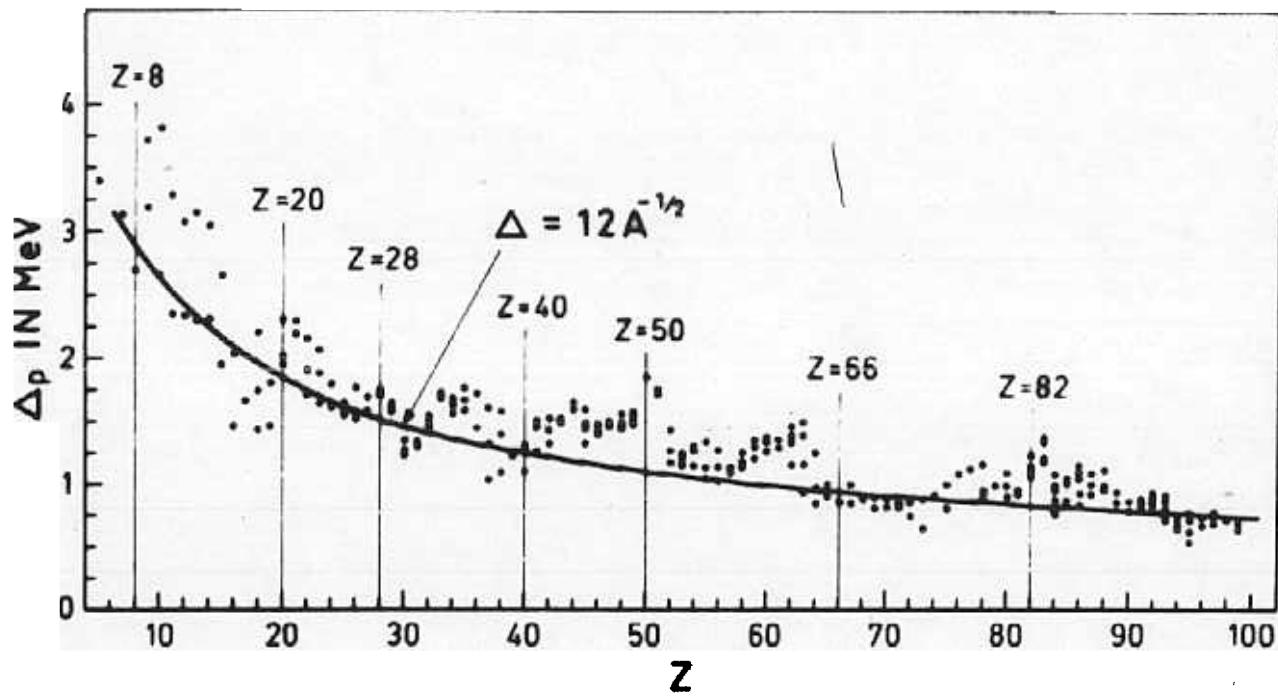
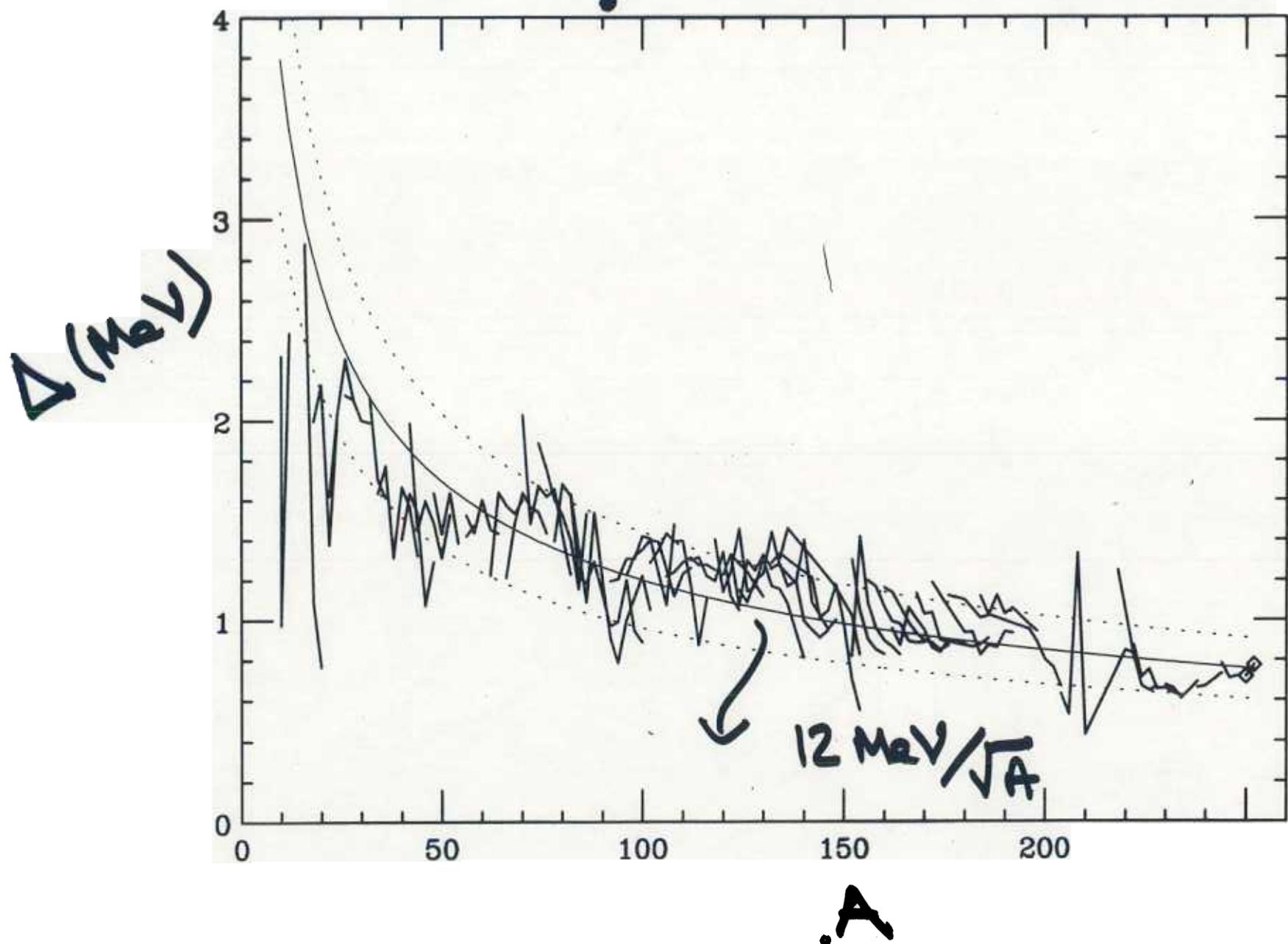
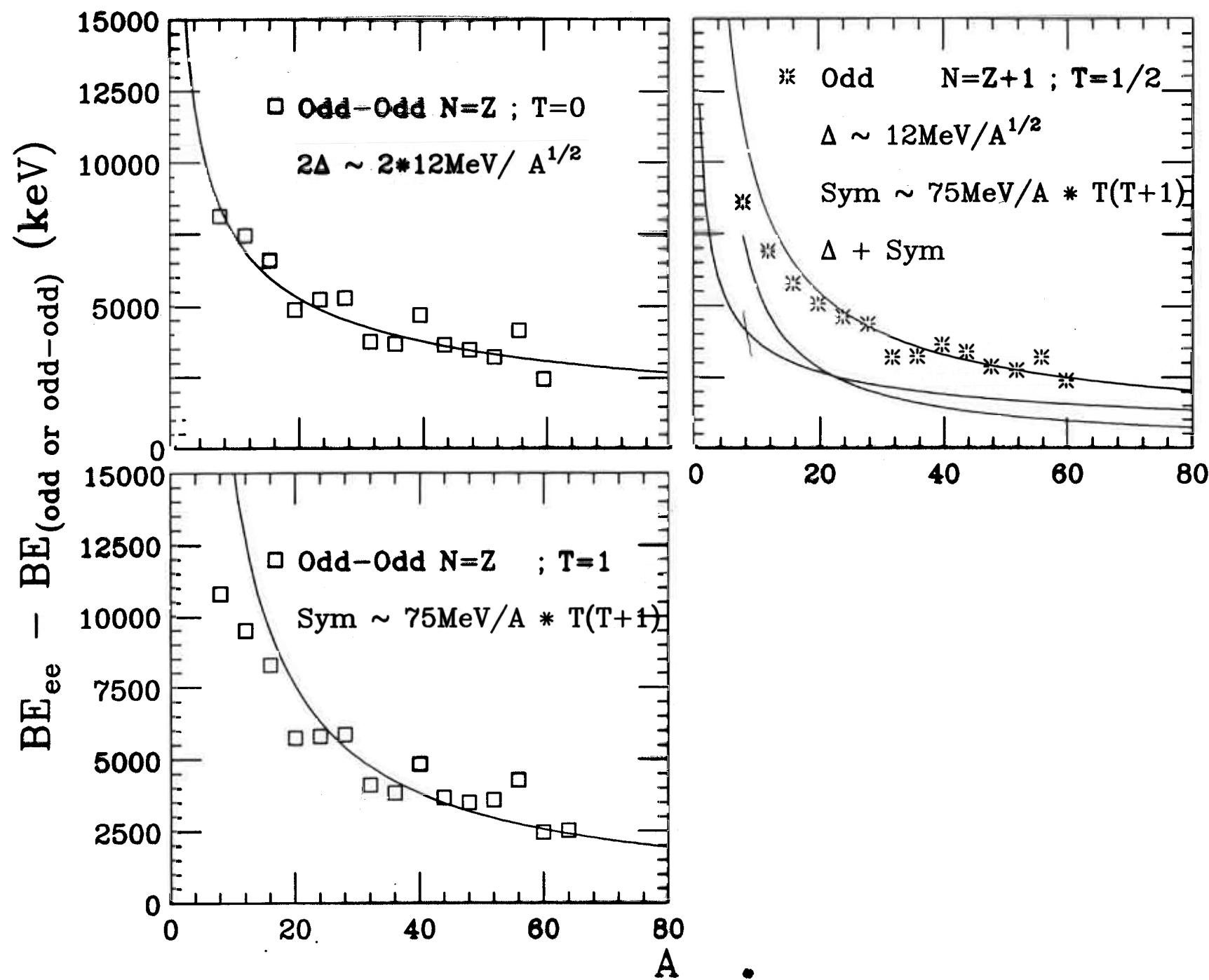


Figure 2-5 The odd-even mass differences for neutrons and protons are based on the analysis of N. Zeldes, A. Grill, and A. Simievic, *Mat. Fys. Skr. Dan. Vid. Selsk.* 3, No. 5 (1967).

$$\bar{J} = \bar{J}_{\text{rig}}(\epsilon, A) * f(x) \quad x = \epsilon / 2\Delta$$





→ two ingredients

* isovector pairing gap $\Delta_{T=1}$

* Symmetry Energy $E_s(T)$

$$N = Z$$

$$\text{ee } E_0$$

$$\text{oo } T=0 \quad E_0 + 2\Delta_1 + \underbrace{E_s(0)}_{\text{sym}}$$

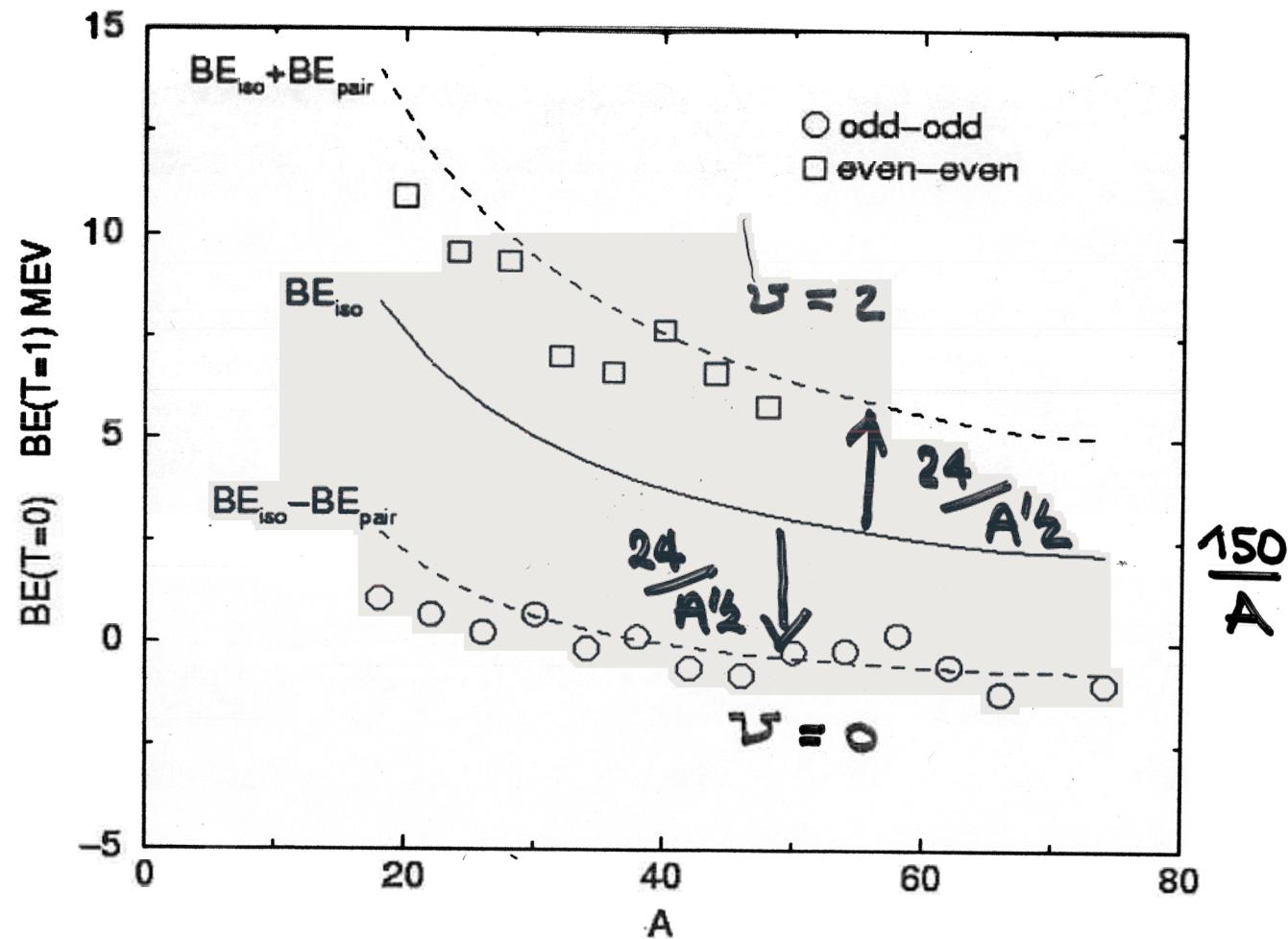
$$T= \quad E_0 + 0 + E_s^{(1)}$$

$$[\text{ee } T_{2^+}]$$

$$\text{ee } T=1 \quad E_0 + 2\Delta + E_s^{(1)}$$

$$\text{oc } T=1' \quad E_0 + \Delta_1 + E_s^{(1'2)}$$

$T=0$ and $T \neq 0$ states in $N=2$ nuclei



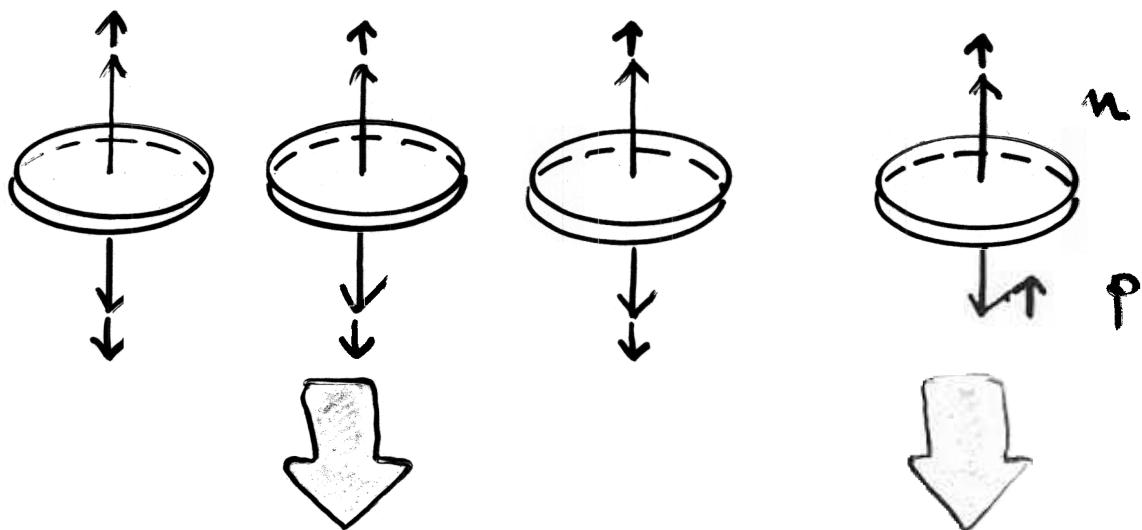
Degenerate ℓ -shell

$$H = -G_L \sum_m P_m^+ P_m^- - G_0 \sum_m D_m^+ D_m^-$$

isovector isoscalar

ℓ

$\bar{\ell}$



$L=0$

$T=1 S=0$

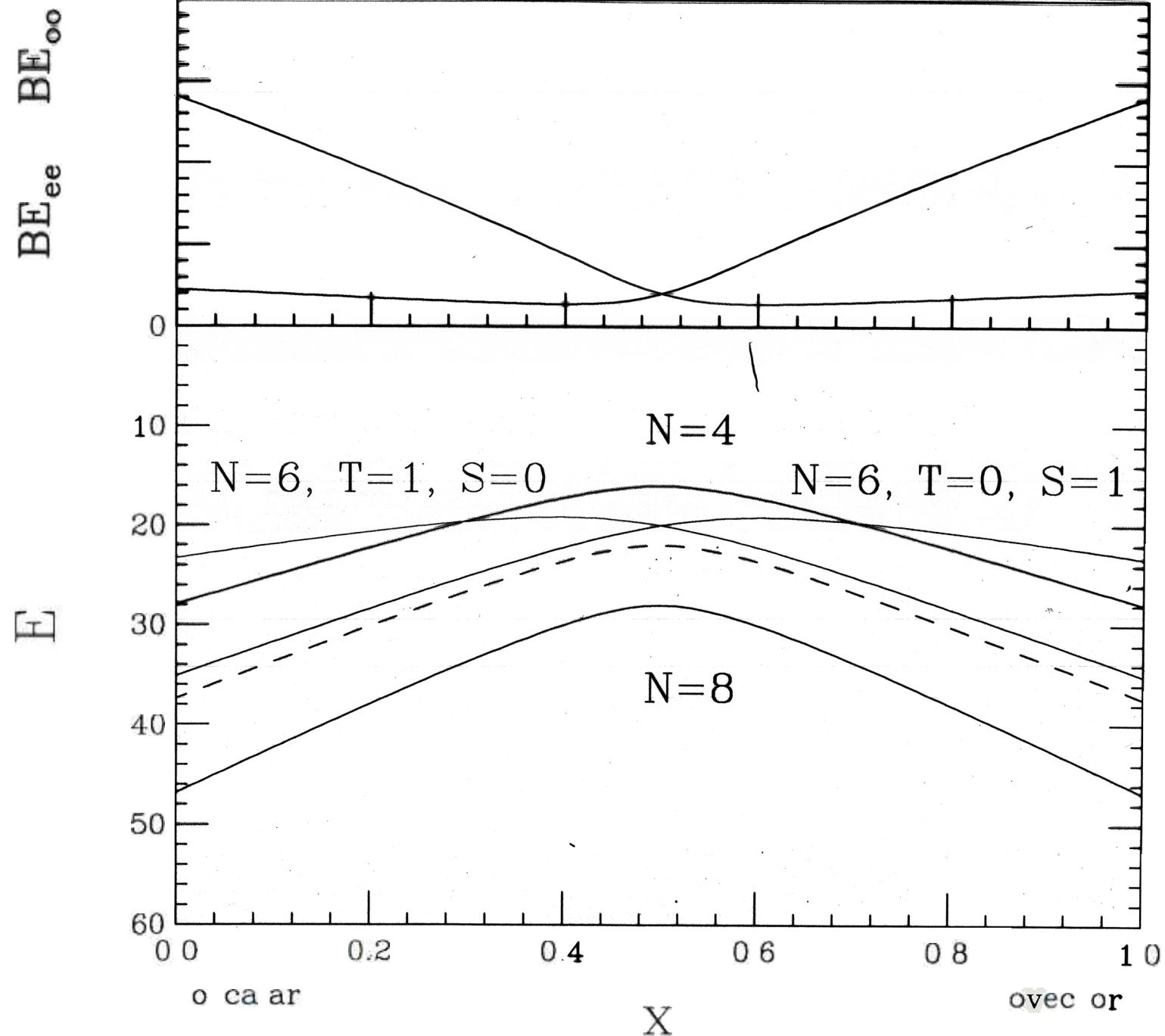
$T=0 S=1$

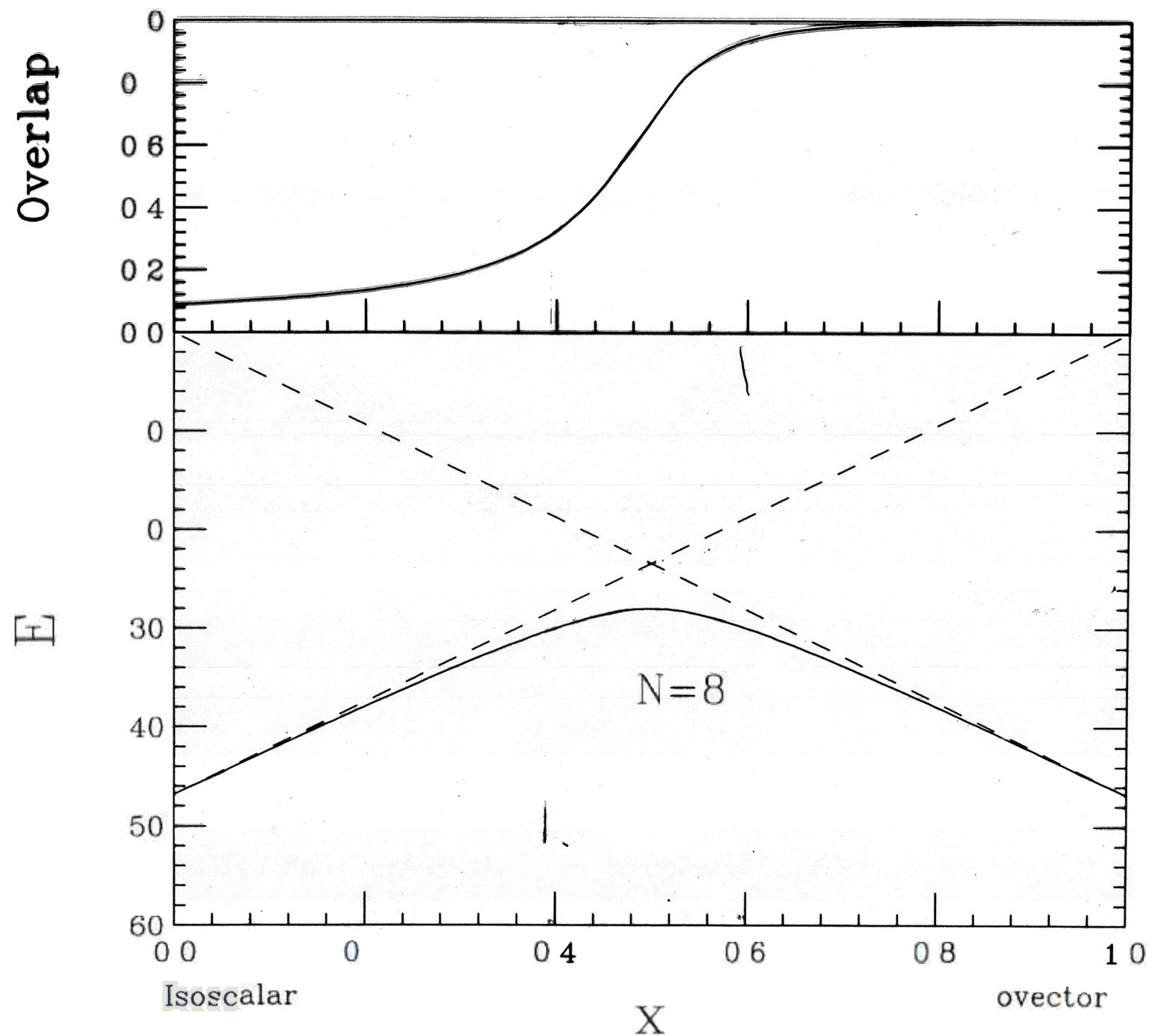
“deuteron-like pairs”

define $\chi = \frac{G_1}{G_1 + G_0}$

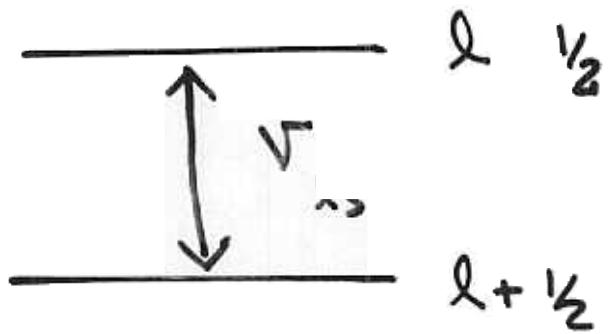
and look at $\frac{H}{G} = \chi H_1 + (1-\chi) H_0$

χ shell $\Omega = 6$





Now consider a j shell



$L = 0$
matrix
elements

* $V_{ps} \rightarrow 0$ l -shell

* $V_{ls} \rightarrow \infty$ j shell

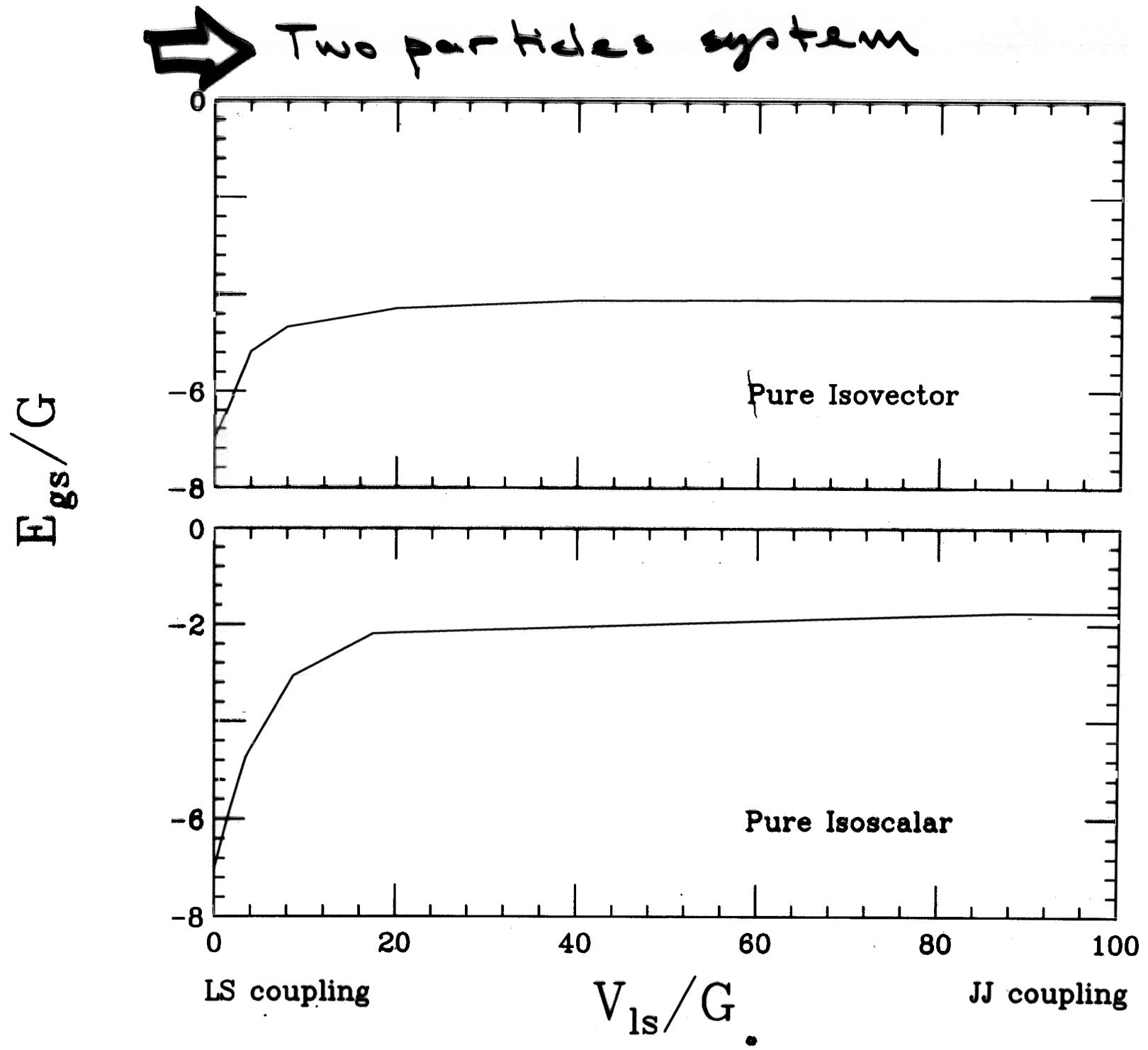


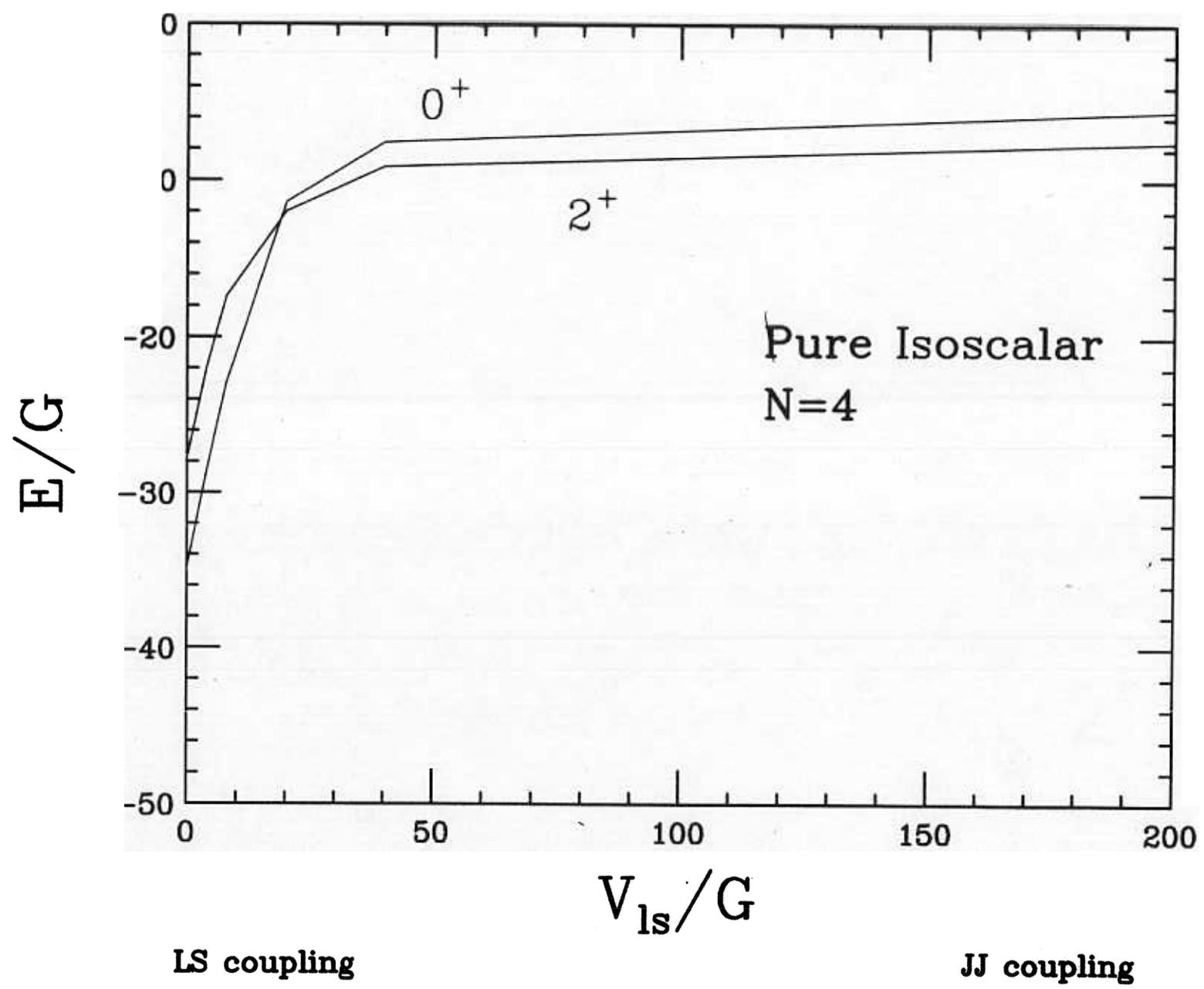
Use OXBASH

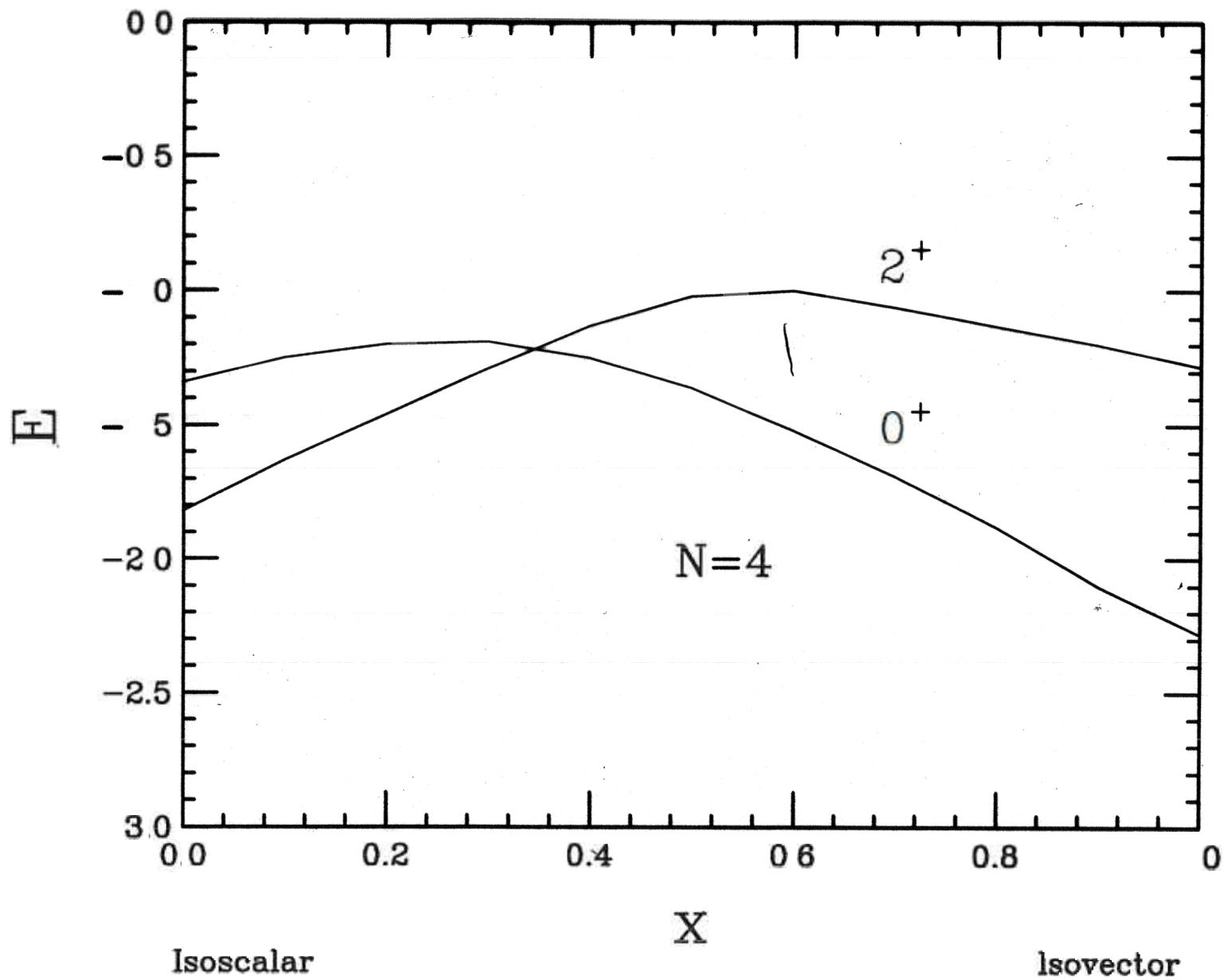
B.A. Brown et al
MSU Report 524 (1998)

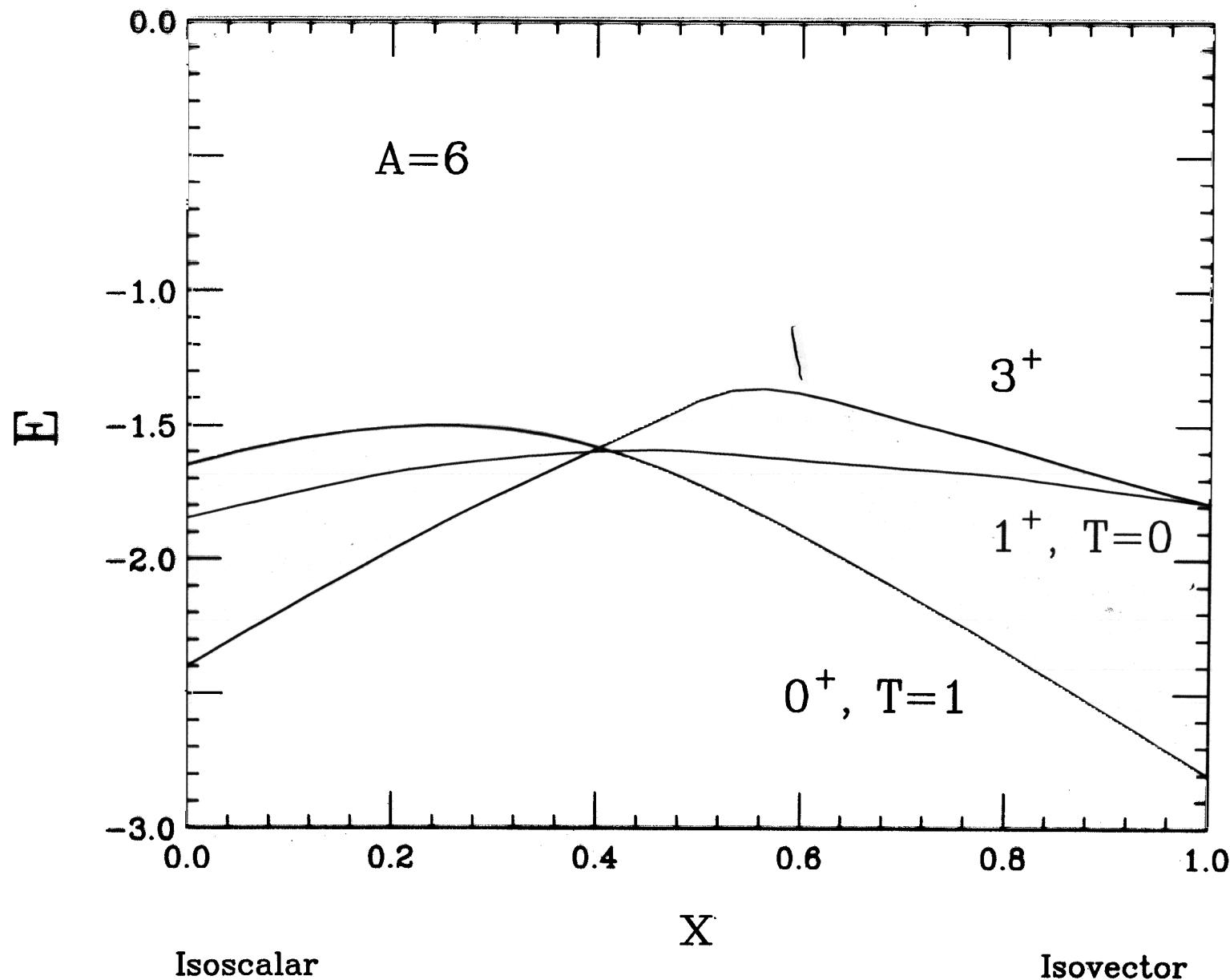
$$\checkmark = x \bigvee_{J=0}^{T=0} + (-x) \bigvee_{J=1}^{T=0}$$

for j -shell



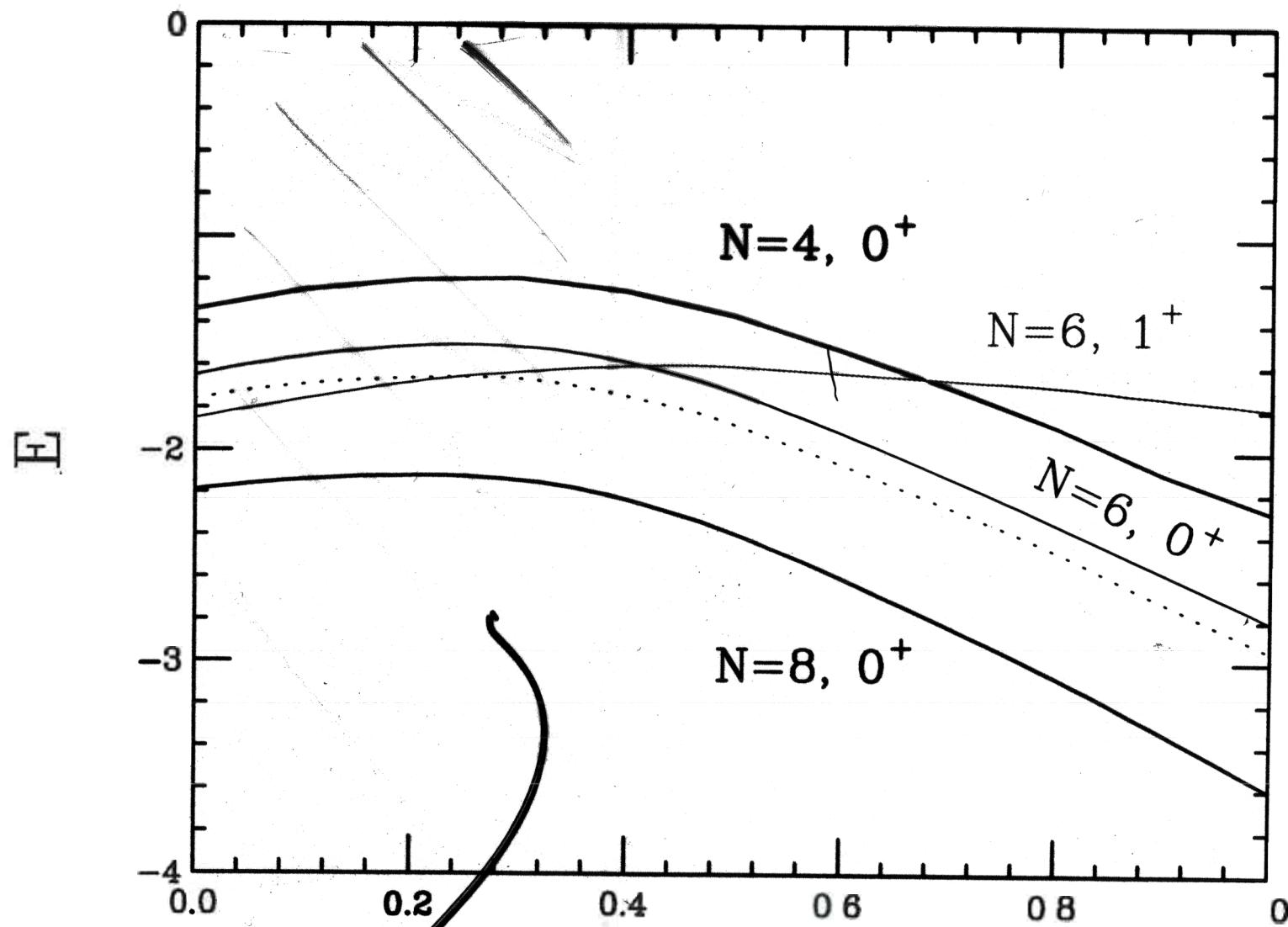






single-j

OXBASH



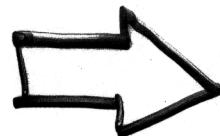
GS

"Ferromagnet"
i.e. screened sp ms !!

$\nabla = \sqrt{\sum_{j=0}^{T=1} (x_j^2) + (x)^2}$

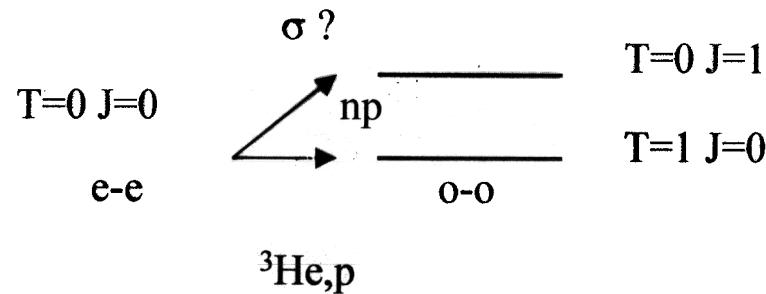
T=0
J=1

$(^3\text{He}, p)$ Transfer Reactions



Two nucleon transfer reactions are an excellent tool to test correlations

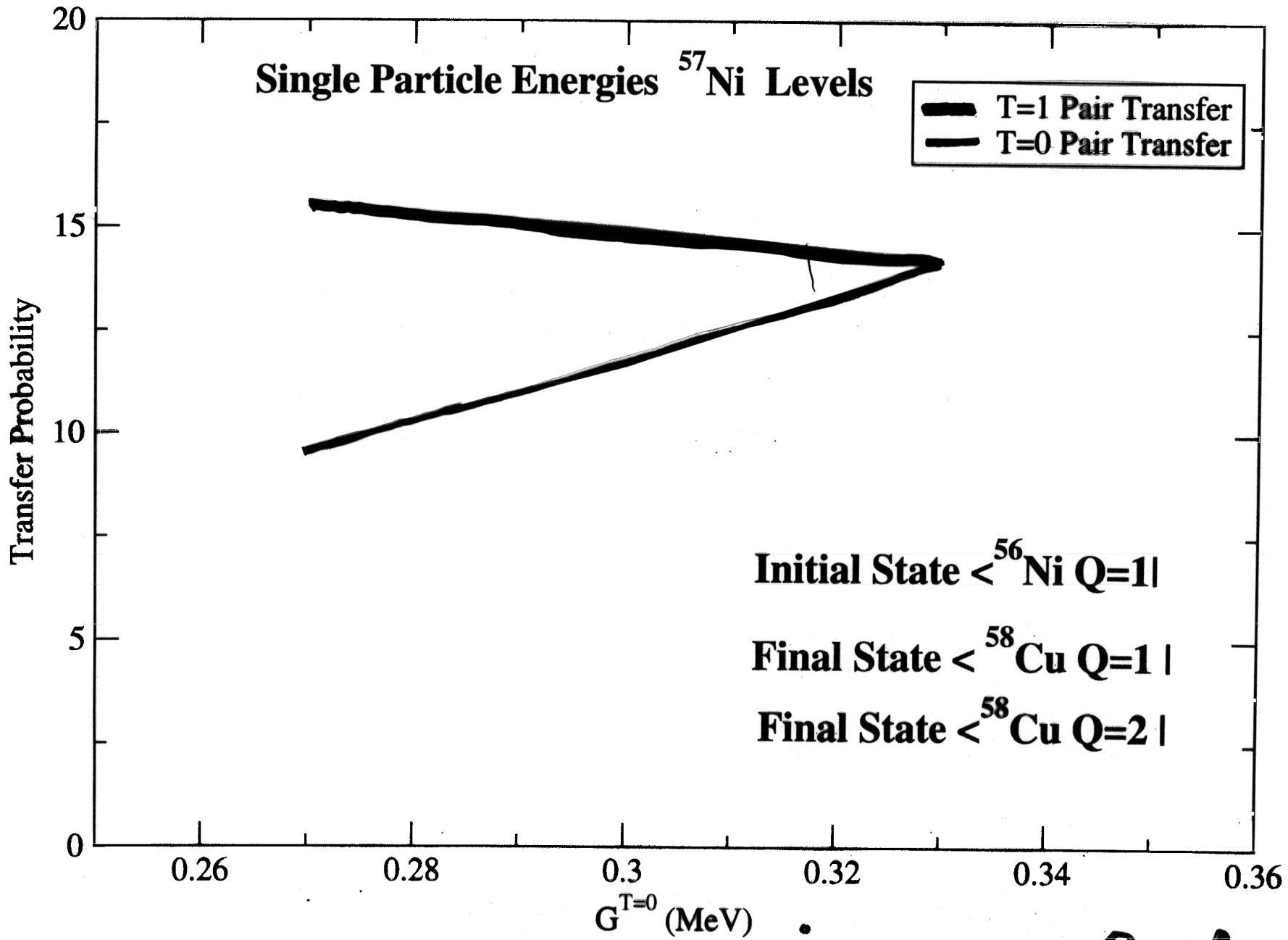
- Measure the np transfer cross section to $T=1$ and $T=0$ states



- Both absolute $\sigma(T=0)$ and $\sigma(T=1)$ and relative $\sigma(T=0) / \sigma(T=1)$ tell us about the character and strength of the correlations

n-p Pair Transfer Probability

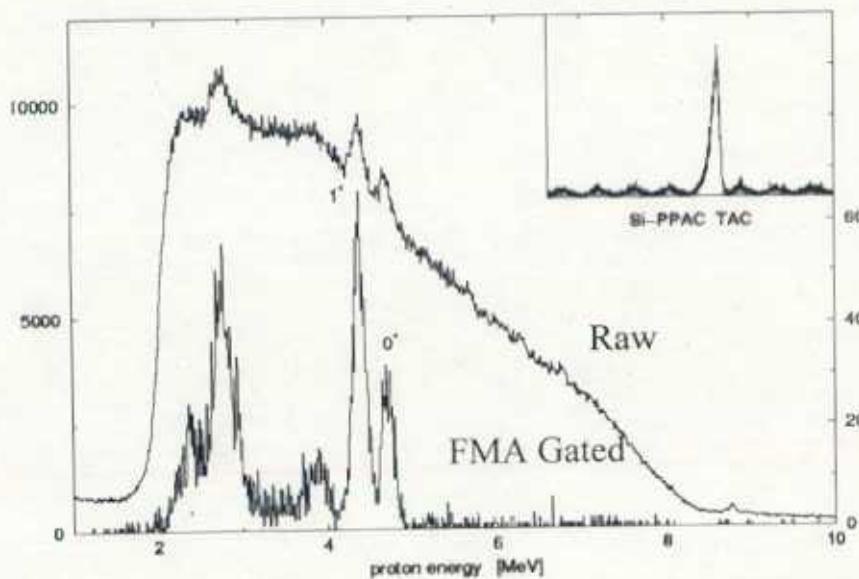
$G^{T=1} = 0.33 \text{ MeV}$



R.Chasman Priv. Comm.

Berkeley - Argonne - Rutgers

$^{40}\text{Ca}({^3\text{He},p})$ @ 220 MeV

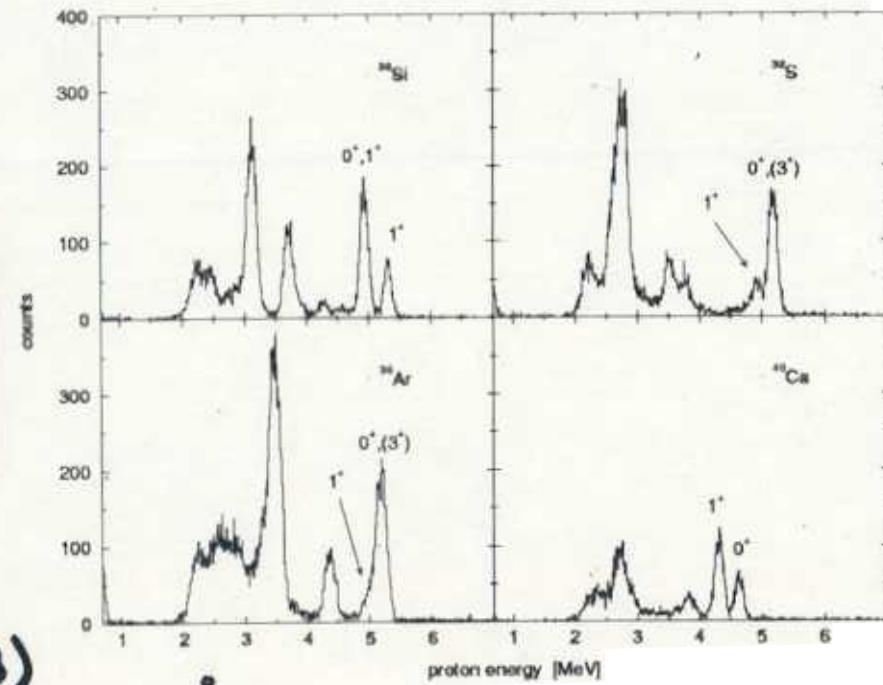
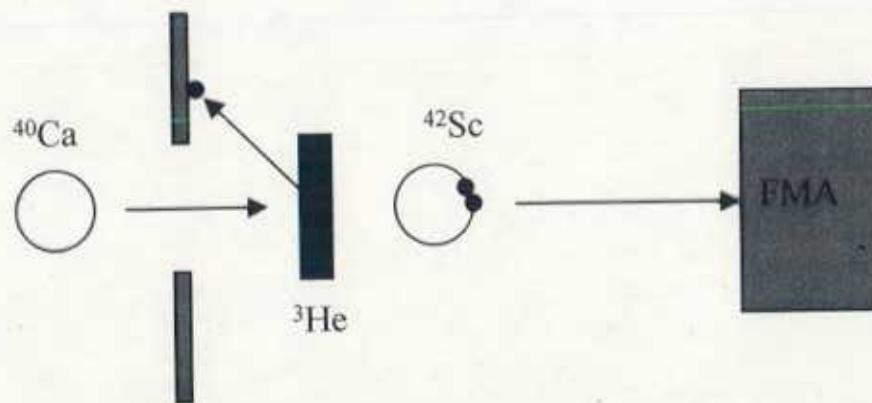


Inverse kinematics

Successful test experiment with stable beams

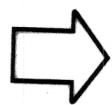
Approved ATLAS runs with ^{44}Ti and ^{56}Ni beams

Role of pairing phonons near ^{40}Ca and
 ^{56}Ni



K.E. Rehm et al. PRL 80 (1998)

Conclusions



T=0 states in odd-odd N=Z nuclei exhibit similar properties as any other odd-odd nuclei

Adding a np(T=0) pair blocks the T=1 correlations, giving a gap $\sim 2*12\text{MeV}/A^{1/2}$



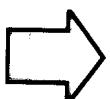
Full isovector pairing reveals itself in the T=1 states

Direct consequence of isobaric analogues



Single-l and single-j shell models capture the most relevant ingredients of pairing correlations. They appear to support these findings.

Where is the elusive T=0 phase?



Future work

Two nucleon transfer reactions